

On the Importance of Speed in Antitrust Enforcement

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- **Motivation**
- Characterization of Predation
- Enforcement Options
- A Simple Model
- Conclusions



otivation

“The possibility of error in applying the legal standard to the facts of the case implicates another essential tradeoff. Process costs designed to reduce the incidence of error must be traded off against the costs that result from the occurrence of error. ... Error costs also have to be traded off with those costs resulting from delay. The passage of time may decrease the likelihood of error by permitting a more extensive inquiry into disputed issues. The costs associated with delay, such as uncertainty over the outcome or the impairment of evidence, however, must be traded off with the associated reduction in error costs” (W. Schwartz, 1980).

**Speed in merger
control**

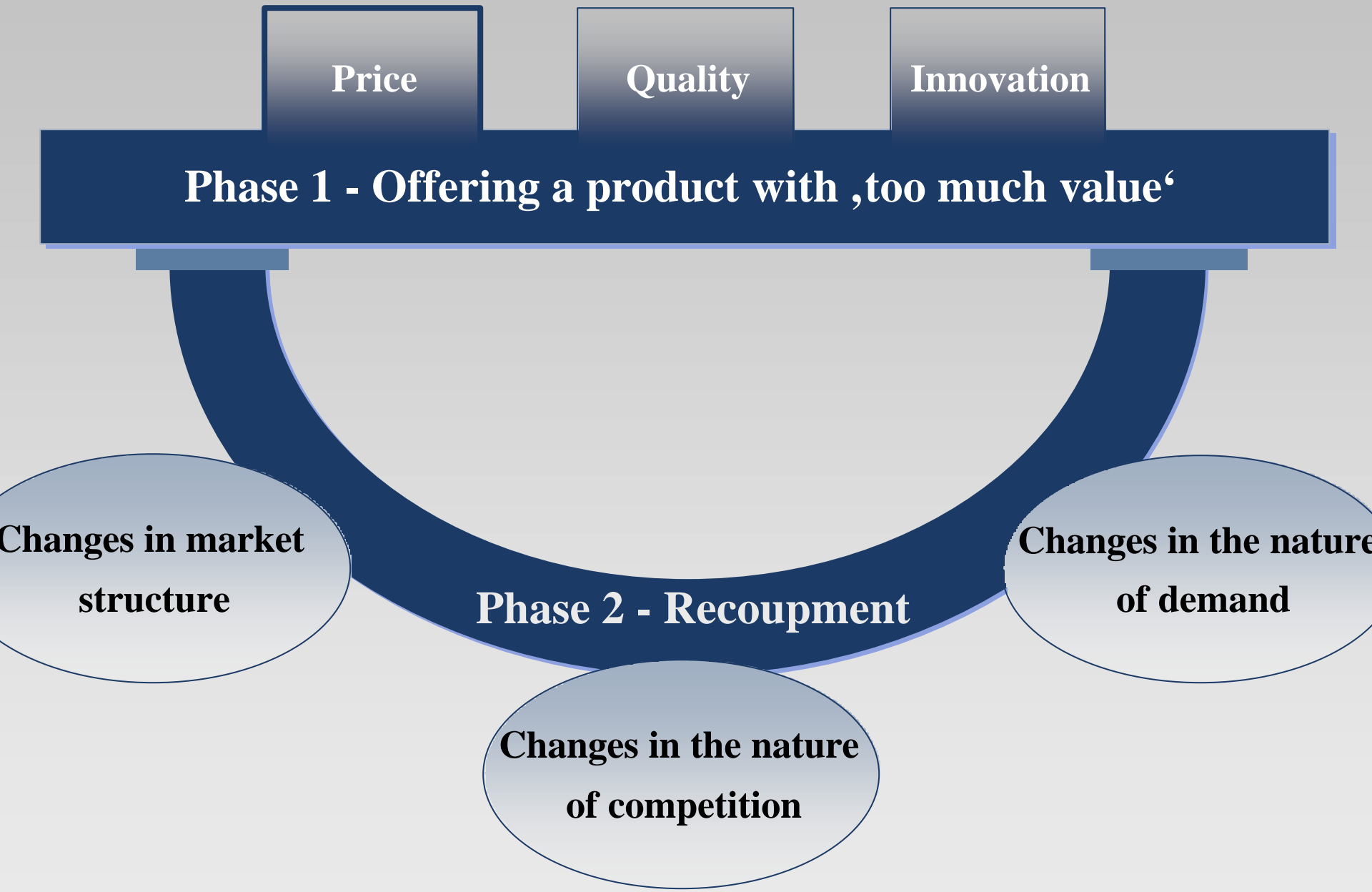
**Speed in cartel
enforcement**

**Speed in predation
enforcement**

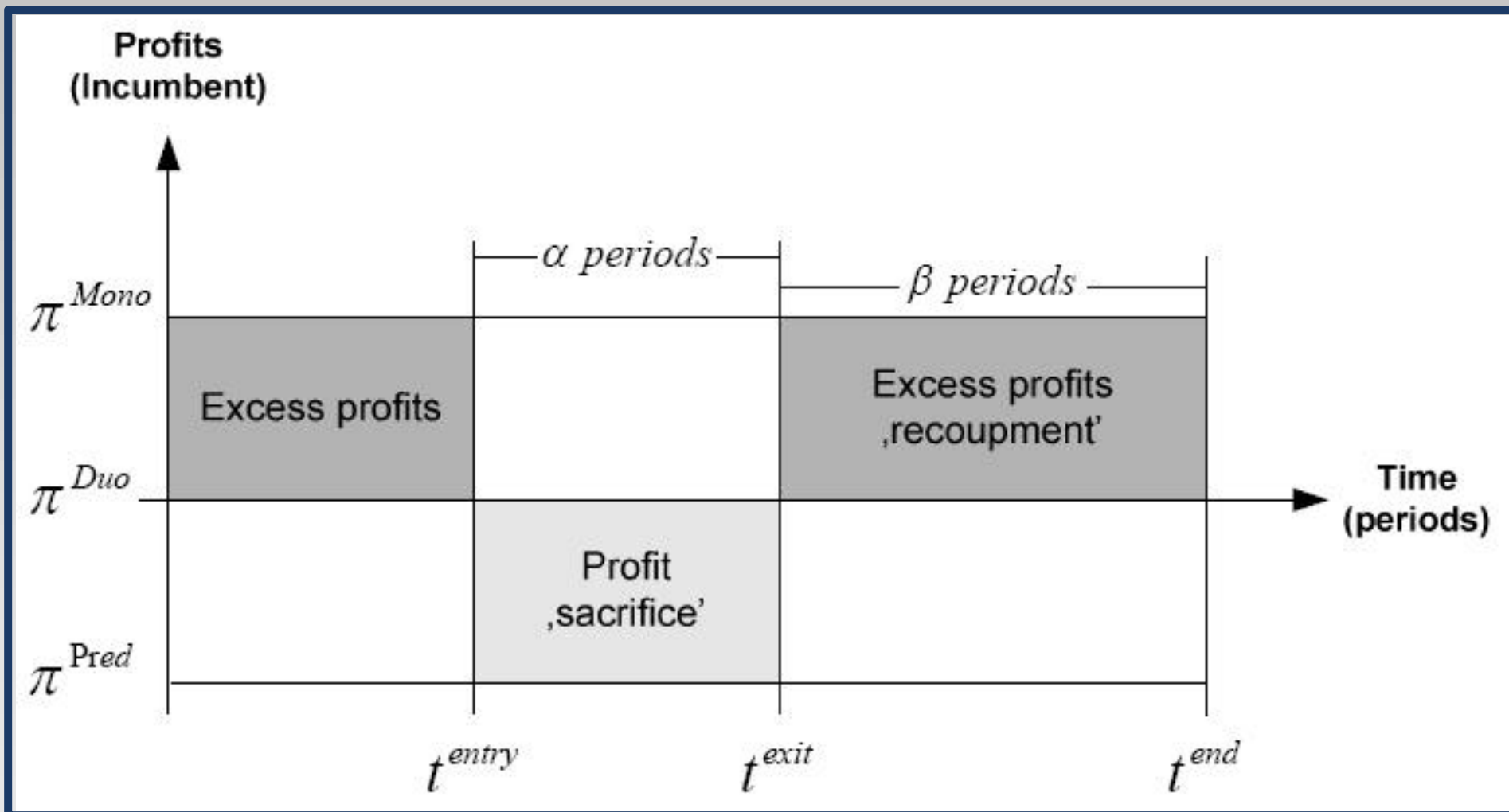
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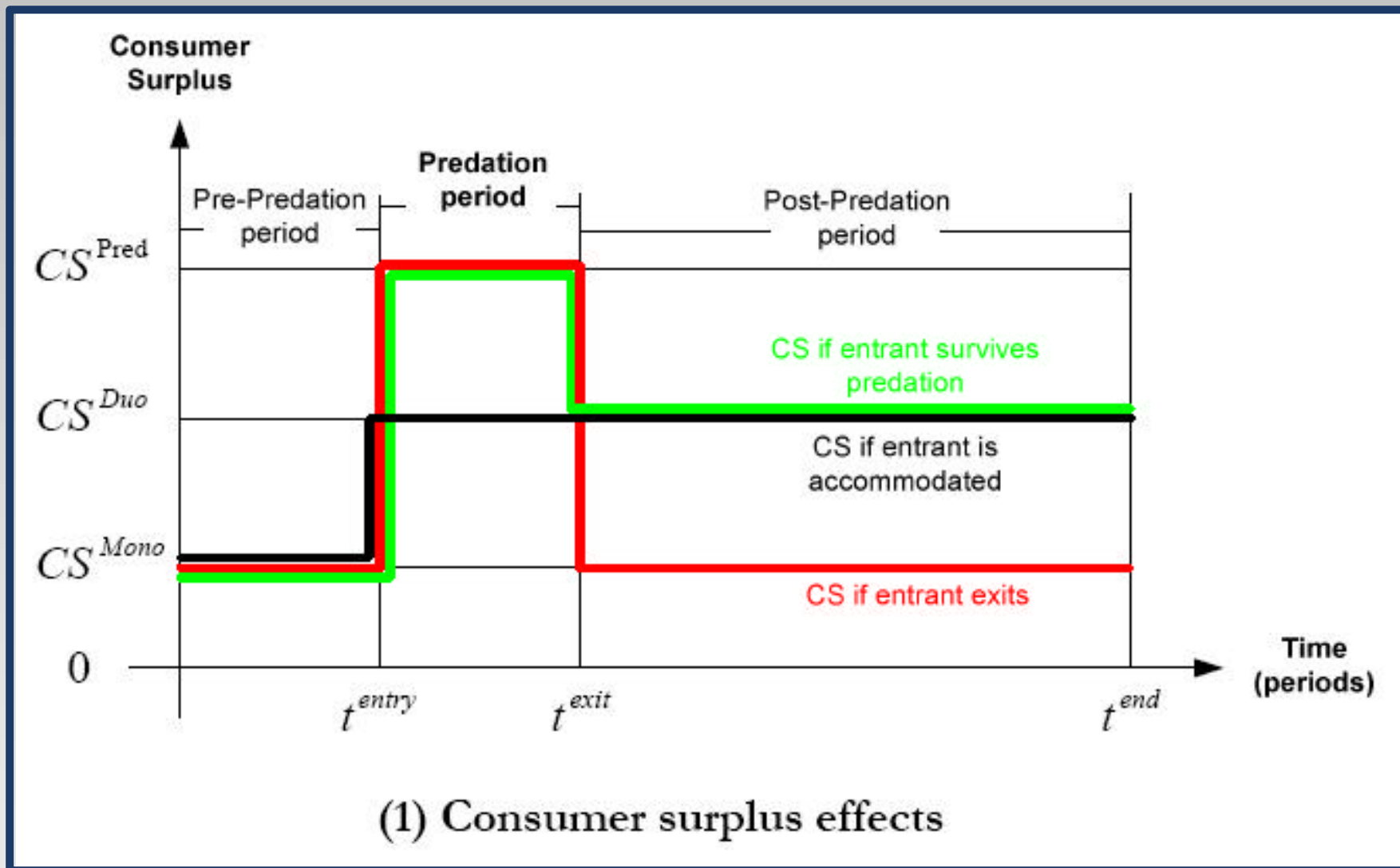
Characterization of Predation



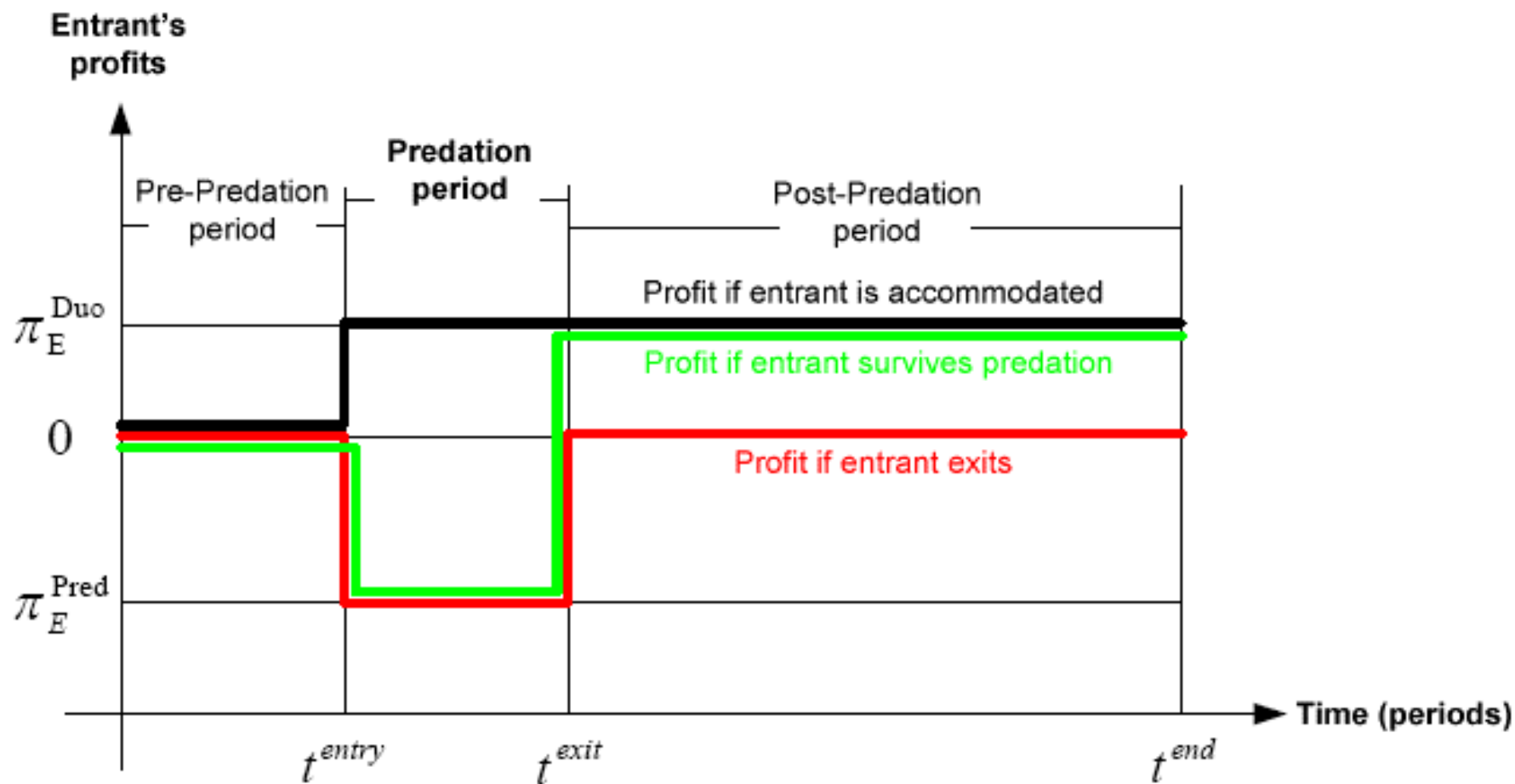
rationality of Predation



elfare effects - Consumers

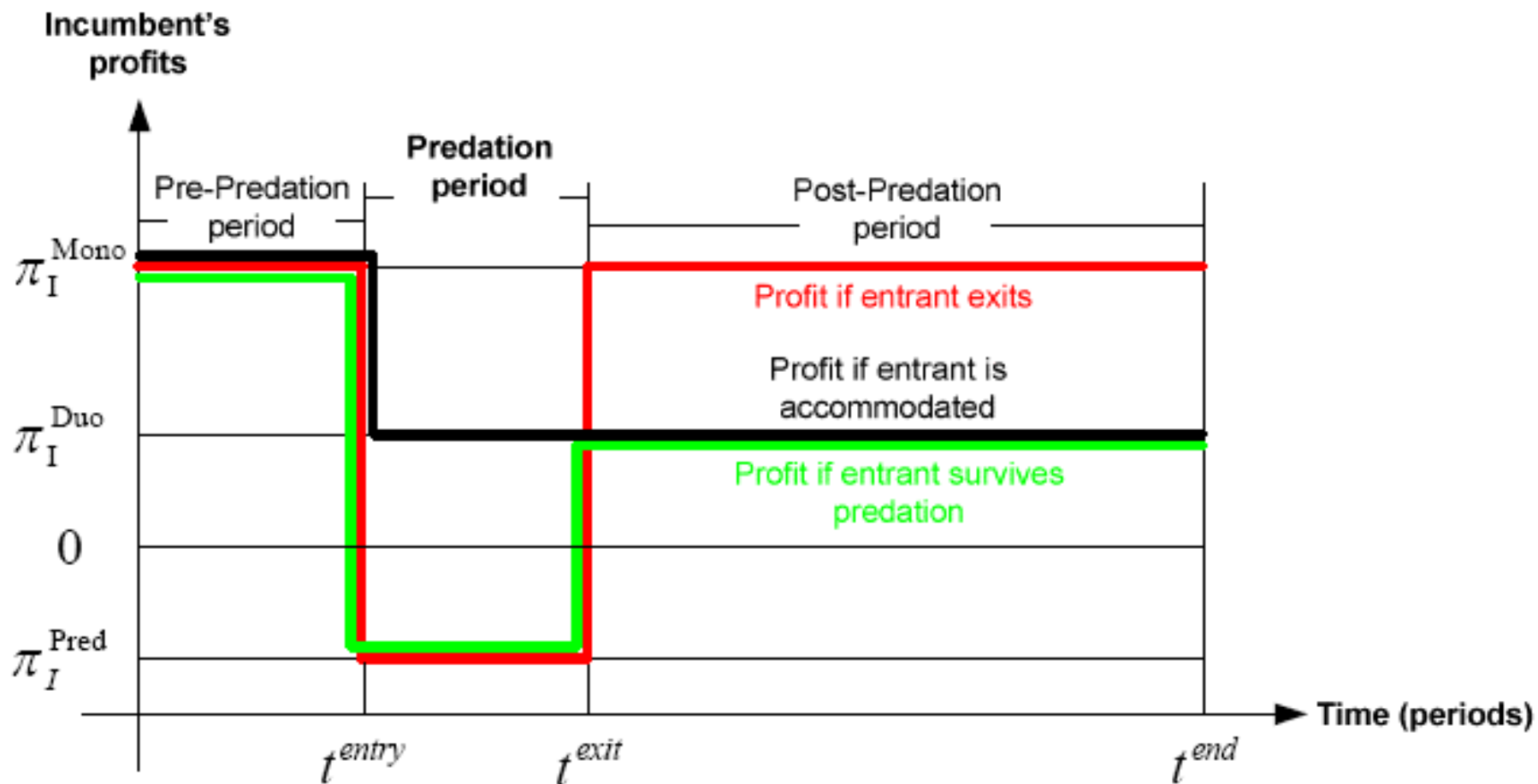


elfare effects – Entrant



(2) Entrant's profit effects

elfare effects – Incumbent

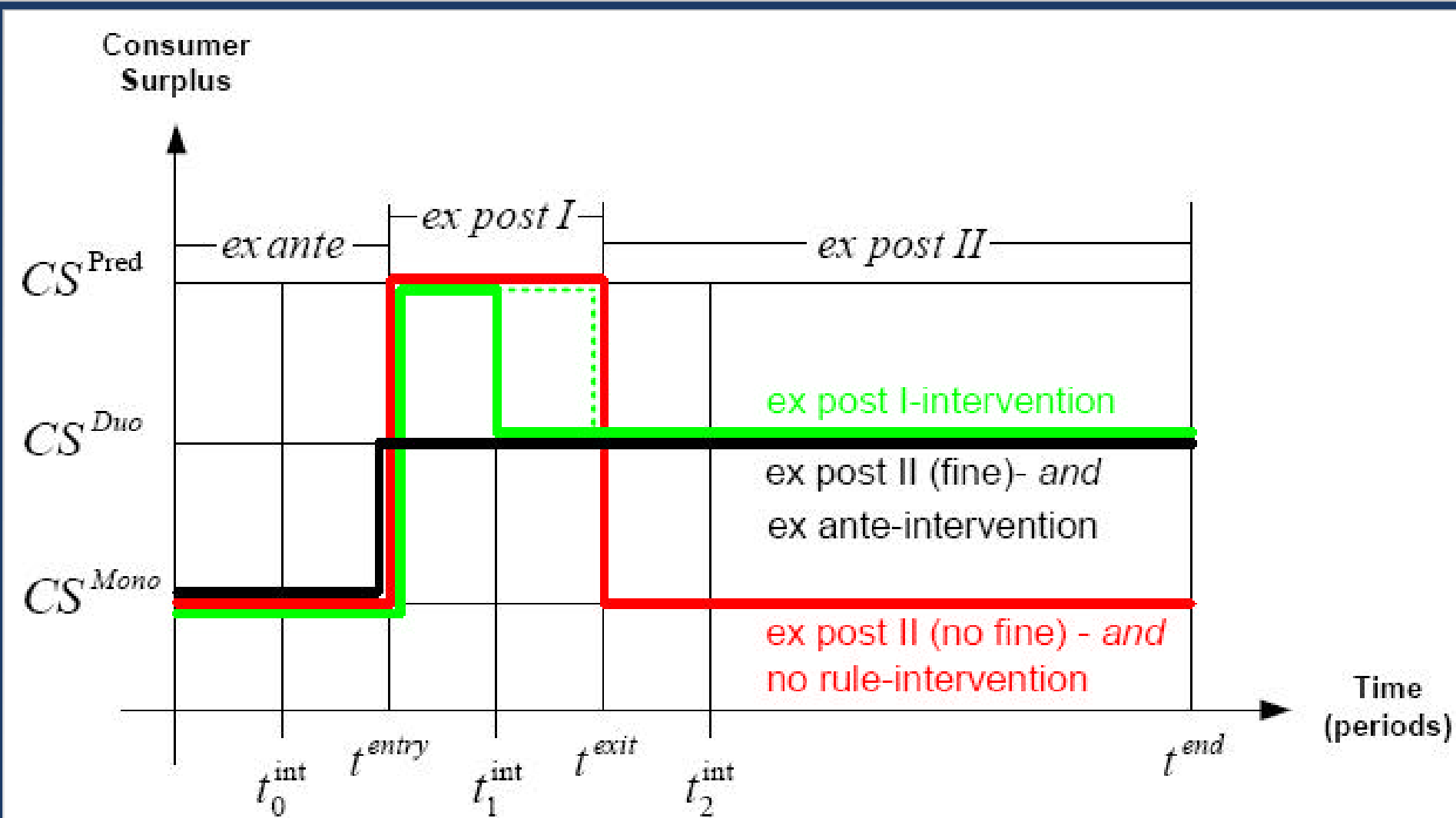


(3) Incumbent's profit effects

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Enforcement options



Welfare effects of enforcement options I

Ex-post I approach is superior to a 'no rule' approach

$$CS^{Duo} - CS^{Mono} > \mathbf{p}_I^{Mono} - \left(\mathbf{p}_E^{Duo} + \mathbf{p}_I^{Duo} \right)$$

Ex-ante per se rule is superior to an ex post I rule of reason

$$CS^{Duo} - CS^{Pred} > \mathbf{p}_E^{Pred} + \mathbf{p}_I^{Pred} - \mathbf{p}_E^{Duo} - \mathbf{p}_I^{Duo}$$

Welfare effects of enforcement options II

Optimal gain-based fine

$$F_{Gain\ based} = \mathbf{b} \left(\mathbf{p}_I^{Mono} - \mathbf{p}_I^{Duo} \right) + \mathbf{a} \left(\mathbf{p}_I^{Pred} - \mathbf{p}_I^{Duo} \right)$$

,One' optimal harm-based fine (welfare loss)

$$F_{Harm\ based} = \left[(\mathbf{a} + \mathbf{b}) \left(CS^{Duo} + \mathbf{p}_E^{Duo} + \mathbf{p}_I^{Duo} \right) \right] - \left[\mathbf{a} \left(CS^{Pred} - \mathbf{p}_E^{Pred} - \mathbf{p}_I^{Pred} \right) + \mathbf{b} \left(CS^{Mono} + \mathbf{p}_I^{Mono} \right) \right]$$

,Another' optimal harm-based fine (net harm to others)

$$F_{Harm\ based} = \mathbf{a} \left[\left(CS^{Duo} - CS^{Pred} \right) + \left(\mathbf{p}_E^{Duo} - \mathbf{p}_E^{Pred} \right) \right] + \mathbf{b} \left[\left(CS^{Duo} - CS^{Mono} \right) + \mathbf{p}_E^{Duo} \right]$$

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Profit functions

$$\Pi_I = (a - b(q_I + q_E) - c_I)q_I - FC_I$$

$$\Pi_E = (a - b(q_I + q_E) - c_E)q_E - FC_E$$

Competitive benchmark: Non-cooperative Cournot equilibrium

$$q_I^C = \frac{a - 2c_I + c_E}{3b}$$

$$q_E^C = \frac{a - 2c_E + c_I}{3b}$$

$$p^C = \frac{a + c_I + c_E}{3}$$

Predation: Predator sells quantity such that the prey makes no profits

$$q_E^P = \frac{(a - bq_I^P - c_E)}{2b}$$

$$\Pi_E^P(q_I^P) = \left(\frac{a - bq_I^P - c_E}{2} \right)^2 \left(\frac{1}{b} \right) - FC_E = 0$$

Predation: Market outcomes

$$q_I^P = \frac{a - c_E}{b} - 2\sqrt{FC_E / b}$$

$$q_E^P = \sqrt{FC_E / b}$$

$$p^P = \sqrt{FC_E b} + c_E$$

General market outcomes

	Incumbent's profits	Entrant's profits	Consumer surplus
Monopoly	$\frac{(a - c_I)^2}{4b} - FC_I$	0	$\frac{(a - c_I)^2}{8b}$
Duopoly	$\frac{(a - 2c_I + c_E)^2}{9b} - FC_I$	$\frac{(a - 2c_E + c_I)^2}{9b} - FC_E$	$\left[a - \left(\frac{a + c_I + c_E}{3} \right) \right] \left[\frac{a - 2c_I + c_E}{3b} \right] + \left(\frac{a - 2c_E + c_I}{3b} \right) \left[\frac{1}{2} \right]$
Limitation	$\left\{ \frac{a - c_E}{b} - 2\sqrt{FC_E/b} \right\} \times$ $\left[\sqrt{FC_E/b} + c_I \right] - FC_I$	0	$\left[a - \left(\sqrt{FC_E/b} + c_E \right) \right] \left[\sqrt{FC_E/b} \right] + \left(\frac{a - c_E}{b} - 2\sqrt{FC_E/b} \right) \left[\frac{1}{2} \right]$

Market specification

Inverse demand function

$$p = 1 - 0.001(q_1 + q_2)$$

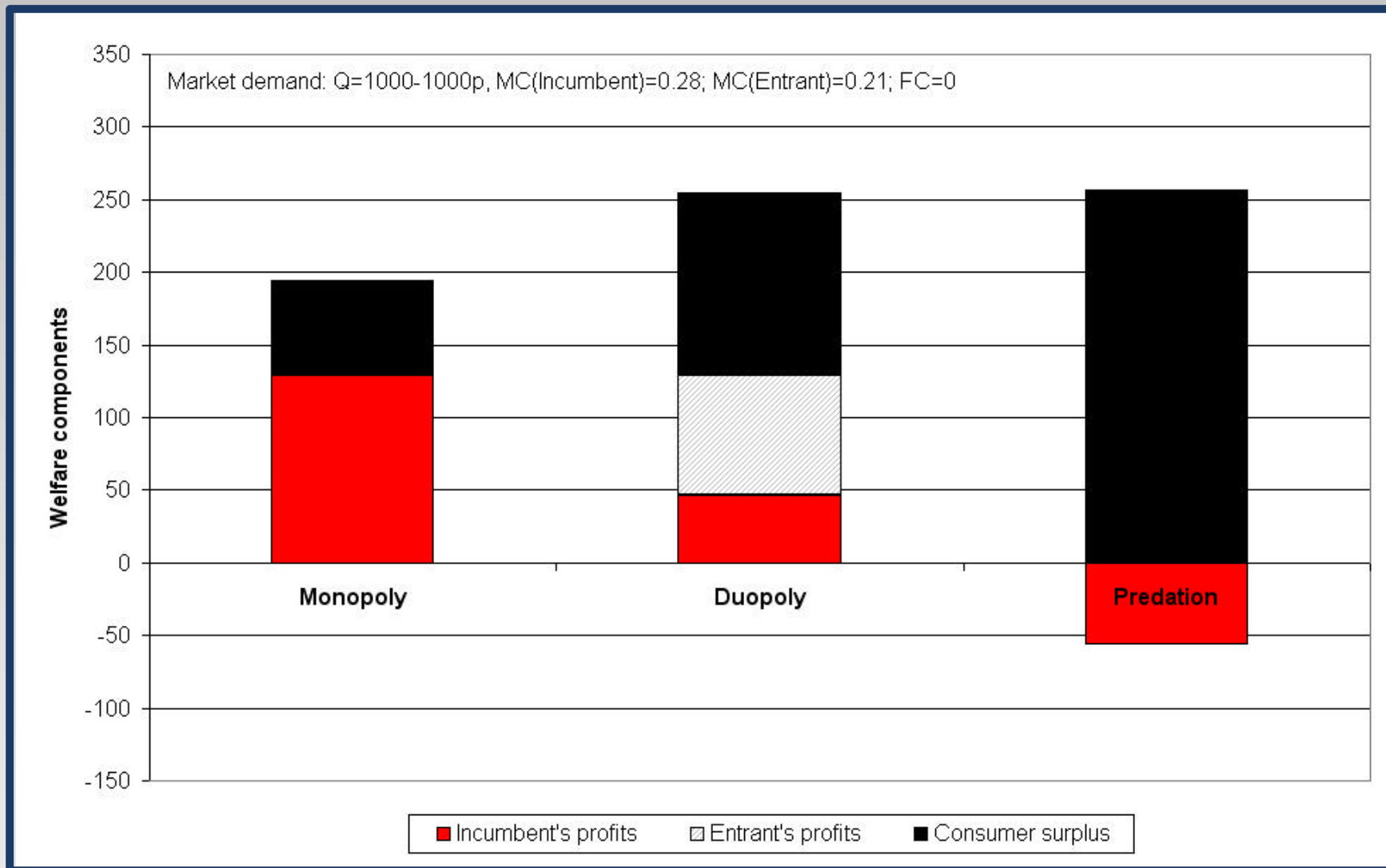
Scenarios

	MC (Incumbent)	MC (Entrant)	FC	a	b
Scenario 1	0.28	0.28	0; 10	5	5; 7; 10; 15
Scenario 2	0.28	0.21	0; 10	5	5; 7; 10; 15
Scenario 3	0.28	0.14	0; 10	5	5; 7; 10; 15

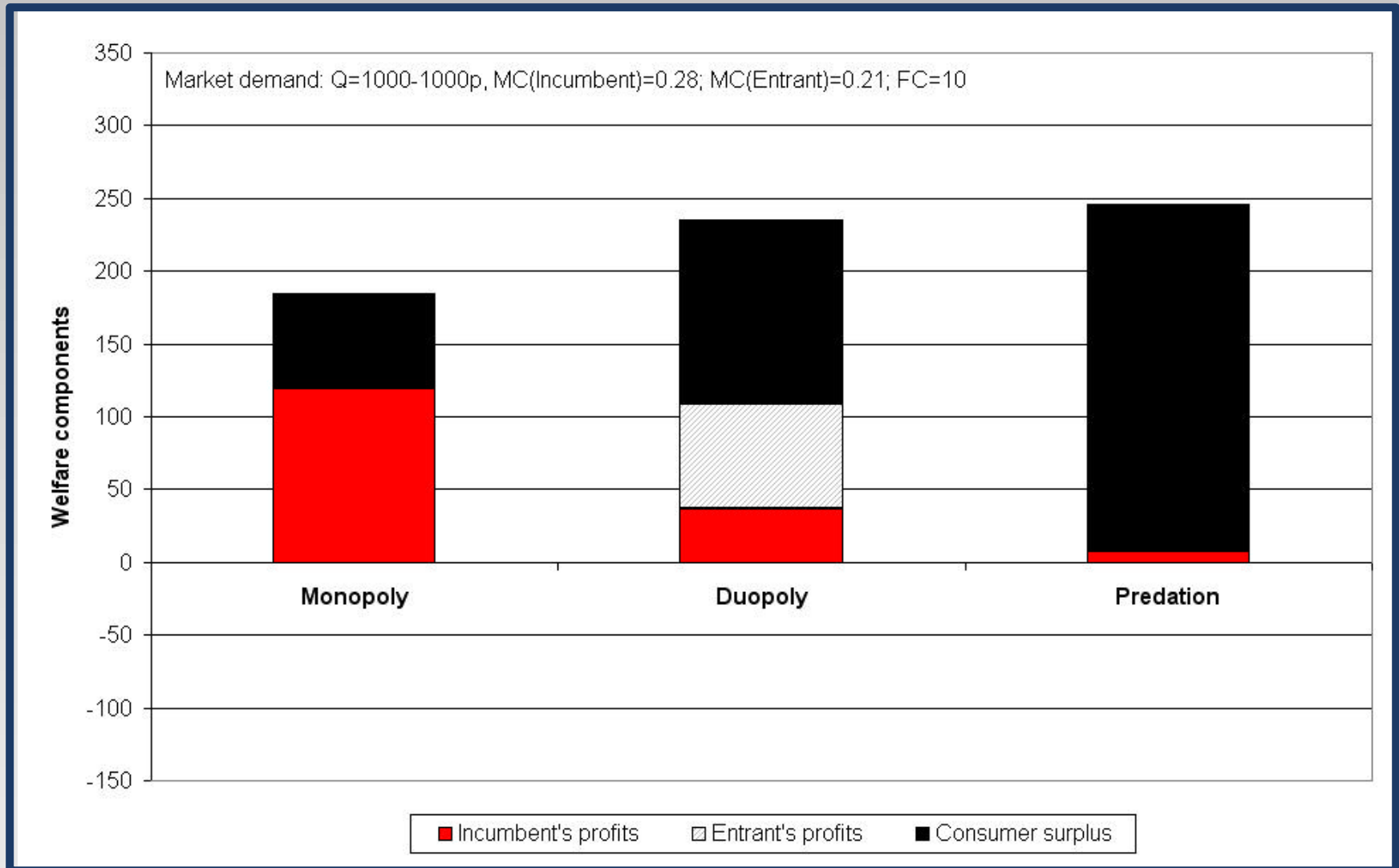
Market prices

	Cost advantage	FC=0	FC=10	FC=20
Monopoly		0,64	0,64	0,64
Duopoly	no	0,52	0,52	0,52
	moderate	0,50	0,50	0,50
	large	0,47	0,47	0,47
Predation	no	0,28	0,38	0,42
	moderate	0,21	0,31	0,35
	large	0,14	0,24	0,28

Welfare components FC=0



Welfare components FC=10



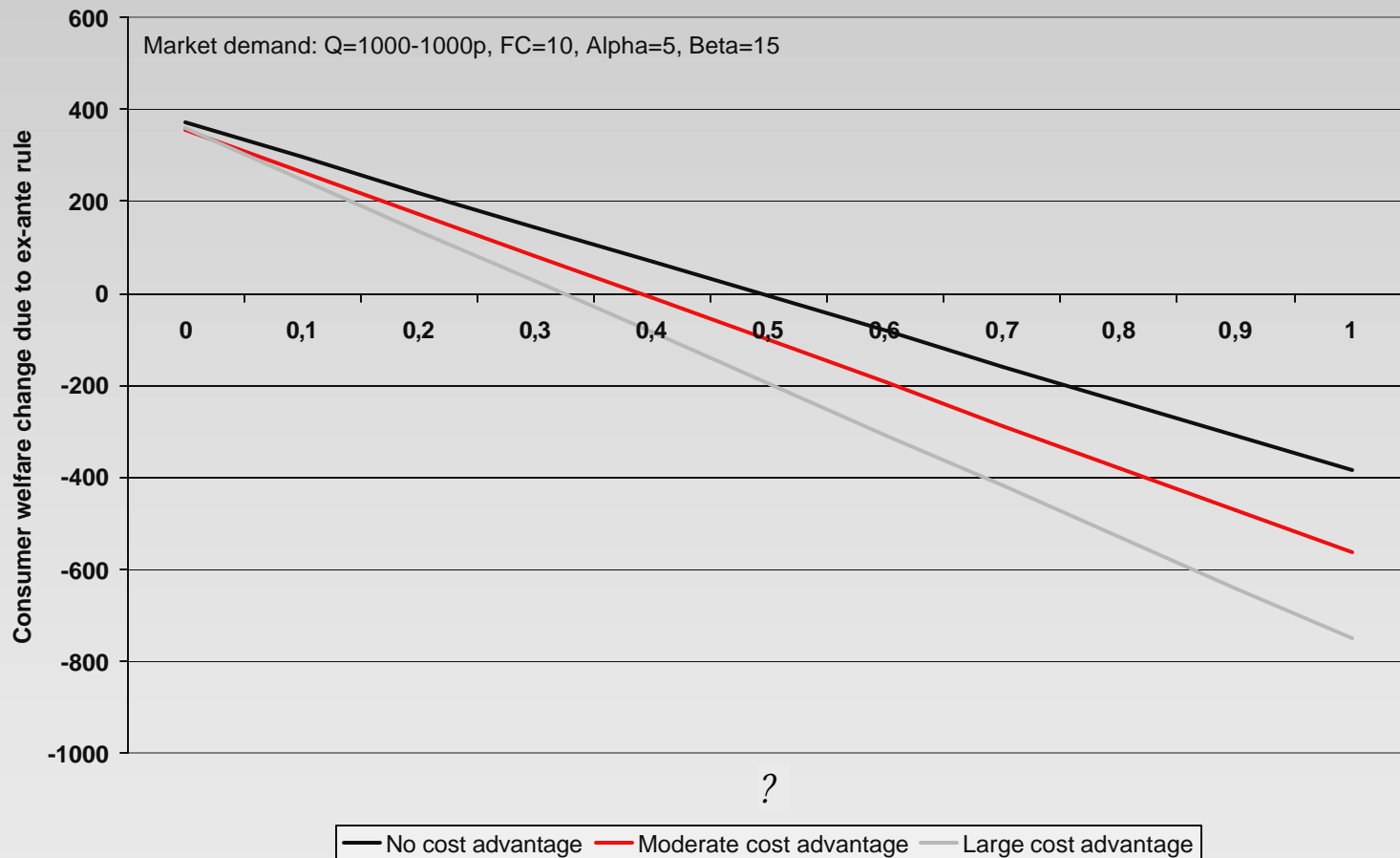
Results - Overall

		Predation as a rational business strategy	Net welfare increase compared to monopoly	Ex post I rule outperforms 'no rule'	Gain-based fine	Harm-based fine	Ex ante outperforms ex post	Gain-based fine - % of monopoly turnover
		(1)	(2)	(3)	(4)	(5)	(6)	
		$\Delta < 0$	$\Delta > 0$	$\Delta > 0$	$\Delta > 0$	$\Delta > 0$	$\Delta > 0$	
Scenario 2-Entrant has moderate cost advantage								
$\alpha=5, \beta=5$								
	No fixed cost	97,9	311,8	302,8	-97,9	196,0	-8,9	-4%
	10 per firm	-267,1	306,8	252,8	267,1	466,0	-54,0	10%
$\alpha=5, \beta=7$								
	No fixed cost	-67,4	311,8	423,9	67,4	482,4	-8,9	2%
	10 per firm	-432,4	306,8	353,9	432,4	732,4	-54,0	16%
$\alpha=5, \beta=10$								
	No fixed cost	-315,4	311,8	605,6	315,4	912,1	-8,9	11%
	10 per firm	-680,4	306,8	505,6	680,4	1132,1	-54,0	25%
$\alpha=5, \beta=15$								
	No fixed cost	-728,7	311,8	908,4	728,7	1628,2	-8,9	26%
	10 per firm	-1093,7	306,8	758,4	1093,7	1798,2	-54,0	40%

Need of enforcement (Consumer welfare)

Ex ante- versus ex post I rule under uncertainty (CS)

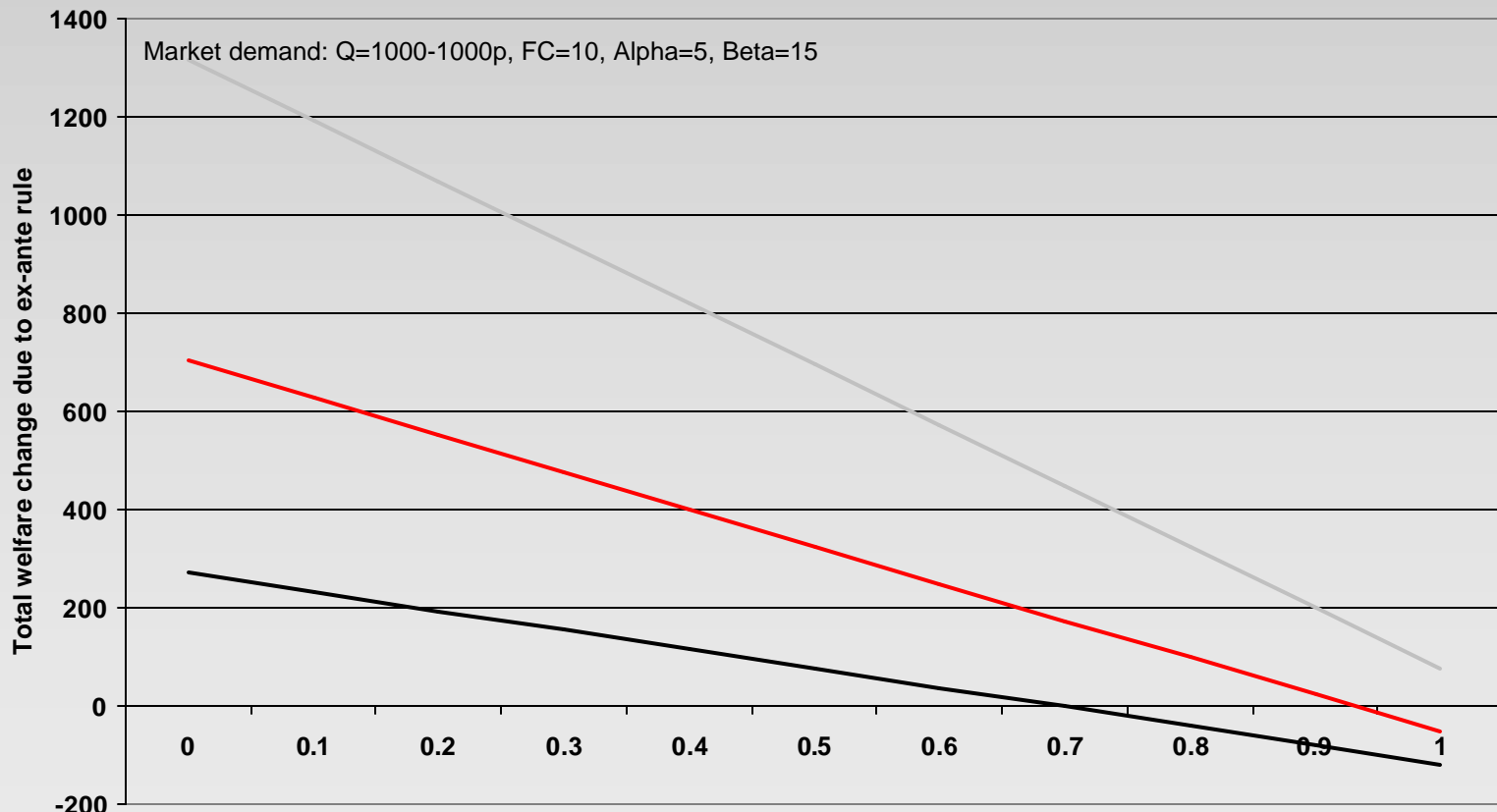
$$(a + b)CS^{Duo} > aCS^{Pred} + b[qCS^{Duo} + (1 - q)CS^{Mono}]$$



Need of enforcement (Total welfare)

Ex ante- versus ex post I rule under uncertainty (CS+PS)

$$(a + b)(CS^{Duo} + p_E^{Duo} + p_I^{Duo}) > a(CS^{Pred} + p_E^{Pred} + p_I^{Pred}) + b \left[(q(CS^{Duo} + p_E^{Duo} + p_I^{Duo})) + (1 - q)(CS^{Mono} + p_I^{Mono}) \right]$$



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**Antitrust interventions
have the potential to
increase welfare**

**If the antitrust authority is
quick, an ex-post approach is
welfare maximizing**

Predation enforcement

**The speed of enforcement is
crucial in predation cases**

**If the antitrust authority is
slow, an ex-ante approach is
welfare maximizing**

Many thanks for your attention!

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